

## Question

Slavic is preparing a present for a friend's birthday. He has an array  $a$  of  $n$  digits and the present will be the product of all these digits. Because Slavic is a good kid who wants to make the biggest product possible, he wants to add 1 to exactly one of his digits.

What is the maximum product Slavic can make?

Input

The first line contains a single integer  $t$  ( $1 \leq t \leq 10^4$ )— the number of test cases.

The first line of each test case contains a single integer  $n$  ( $1 \leq n \leq 9$ )— the number of digits.

The second line of each test case contains  $n$  space-separated integers  $a_i$  ( $0 \leq a_i \leq 9$ )— the digits in the array.

Output

For each test case, output a single integer— the maximum product Slavic can make, by adding 1 to exactly one of his digits.

Sample Input 1:

```
4
4
2 2 1 2
3
0 1 2
5
4 3 2 3
4
9
9 9 9 9 9 9 9
```

Sample Output 1:

```
16
2
432
430467210
```

Ours Longest: 2932 Tokens

### NRP: 2471 Tokens

Okay, I need to solve this problem where Slavic can add 1 to exactly one digit in an array of digits to maximize the product. Hmm, let's think about how to approach this.

So, the problem is: given an array of digits (each between 0 and 9), I can choose one digit to add 1 to. Then, compute the product of all the digits. I need to find the maximum possible product after this operation.

First, I need to [omitted...]

Sample Input 1:

```
4
4
2 2 1 2
3
0 1 2
5
4 3 2 3
4
9
9 9 9 9 9 9 9
```

So, the array is [2,2,1,2]. For each position, adding 1 and compute product.

Let's see:

Option 1: add to first 2  $\rightarrow$  [3,2,1,2]. Product is  $3*2*1*2=12$ .

Option 2: add to second 2  $\rightarrow$  same as option 1, product 12.

Option 3: add to 1  $\rightarrow$  [2,2,2,2]. Product is  $2^4=16$ .

Option 4: add to last 2  $\rightarrow$  [2,2,1,3]. Product is  $2*2*1*3=12$ .

So maximum is 16. Which matches the sample output.

Another sample:

```
3
0 1 2
```

Possible options:

Add 1 to 0  $\rightarrow$  [1,1,2]  $\rightarrow$  product  $1*1*2=2$ .

Add 1 to 1  $\rightarrow$  [0,2,2]  $\rightarrow$   $0*2*2=0$ .

Add 1 to 2  $\rightarrow$  [0,1,3]  $\rightarrow$   $0*1*3=0$ .

So maximum is 2. Which matches sample.

Another sample: 5 digits 4,3,2,3,4.

What's the best option?

Adding 1 to the 2: makes it 3, so the array becomes [4,3,3,3,4]. Product is  $4*3*3*3*4 = 4*3^3*4 = 4*27*4 = 432$ .

Which matches sample.

Another sample: 9 9s. Adding 1 to one of them gives 10, others 9. So product is  $10 * 9^8$ .

Compute  $9^8$ :  $9*9=81$ ,  $81*9=729$ ,  $729*9=6561$ ,  $6561*9=59049$ ,  $59049*9=531441$ ,  $531441*9=4782969$ ,  $4782969*9=43046721$ . Multiply by 10: 430467210. Which matches the sample.

So the code should handle all cases correctly.

Now, in Python, the code can be written as follows.

```
Read t
for _ in range(t):
    n = int(input())
    a = list(map(int, input().split()))
    max_prod = 0
    for i in range(n):
        new_a = a.copy()
        new_a[i] += 1
        product = 1
        for num in new_a:
            product *= num
        if product > max_prod:
            max_prod = product
    print(max_prod)
```

Yes, that's the code.

Remaining: None

NRP Ratio: 100%

AdaptThink Longest: 3797 Tokens

### NRP: 1349 Tokens

Okay, so I've got this problem to solve. Let's read it carefully.

The problem is about Slavic who wants to maximize the product of digits in an array after adding 1 to exactly one of the digits. So, for each test case, I need to find which digit to increment by 1 such that the product becomes as large as possible.

Hmm, let's think about the approach. For each digit in the array, I can consider increasing it by 1 and then calculate the product. Then, I pick the maximum among all these possibilities.

Wait, but the array could have a zero. Oh right, because if a digit is 9, adding 1 makes it 10. But if a digit is 0, adding 1 makes it 1, which might be better in some cases.

Let me outline the steps:

- For each test case:
- Read the array of digits.
- For each digit in the array, create a copy where that digit is increased by 1. But wait, if the digit is 9, adding 1 would make it 10. But since we're treating each digit as a single digit, maybe I should represent them as integers. So, for each element  $a_i$ , I'll compute  $a_i + 1$ , but only if  $a_i$  is 9, it becomes 10. [omitted...]
- So the code structure would be something like:

```
for _ in range(t):
    n = int(input())
    a = list(map(int, input().split()))
    max_prod = 0
    for i in range(n):
        new_a = a.copy()
        new_a[i] += 1
        current_prod = 1
        for num in new_a:
            current_prod *= num
        if current_prod > max_prod:
            max_prod = current_prod
    print(max_prod)
```

### Remaining: 2026 Tokens

Wait, but wait. What if the original array has a zero, and adding 1 to it? [omitted]

Now, for the code:

```
Read t
For each test case:
    Read n
    Read the list as integers
    Initialize max_prod to zero
    For each i in 0..n-1:
        new_a = a.copy()
        new_a[i] += 1
        compute product of new_a
        if product is larger than current max_prod, update
    print max_prod
```

But wait, in the case where all digits are zero except one. [omitted]

So the code:

```
n = int(input())
a = list(map(int, input().split()))
max_product = 0
for i in range(n):
    new_a = a.copy()
    new_a[i] += 1
    product = 1
    for num in new_a:
        product *= num
    if product > max_product:
        max_product = product
print(max_product)
```

Wait, but wait. What if the array is [0, 0, 0], the original product is 0. Adding 1 [omitted]

So the code should be correct.

Thus, the code is as written above.

NRP Ratio: 40%